STRAIGHT LINES

Distance between the points $P(x_1, y_1)$ and $Q(x_2, y_2)$ is $PQ = J(x_2-x_1)^2 + (y_2-y_1)^2$ Coordinates of a point dividing the line segment joining the points (x_1,y_1) and (x_2,y_2) internally In panticular, If m=n, the coordinates of the mid point of the line segment joining the points (x_1, y_1) and (x_2, y_2) are $\frac{x_1 + x_2}{2}$, $\frac{y_1 + y_2}{2}$ Anea of thiangle $\int_{2}^{2} \left[x_{1} (y_{2} - y_{3}) + x_{2} (y_{3} - y_{1}) + x_{3} (y_{1} - y_{2}) \right]$ ventices are $(x_1, y_1), (x_2, y_2)$ and (x_3, y_3) Note: If the anea of the tniangle ABC is zeno, then three points A, B and C lie on a line, i.e., they are collinean. Slope of a line $m = tan\theta \quad (0 \neq 90)$ Note: The slope of x-axis is zeno and slope of y-axis is not defined. m = 42-41 Slope of the line through the points (x_1, y_1) and (x_2, y_2) If the line li is panallel to lz $m_1 = m_2$ If the line le and le ane perpendicular $m_2 = -1$ $m_1 m_2 = -1$ $tan \beta = tan(\alpha + 90)$ = - $Cot \alpha =$ - 1 $m_2 - m_1$ Acute angle 0 between two lines with slopes m_1 and m_2 tano = $1 + m_1 m_2 \neq 0$ 1 + m, m, Collineanity of three points Three points are collinean slope of AB = slope of BC if and only if Point - slope form $y-y_1=m(x-x_1)$ $y-y_1 = \frac{y_2-y_1}{(x-x_1)}$ Two - point form Slope - intencept form case I y = mx + c slope m and y - intencept c slope m and x - intercept d Intencept form $\frac{x}{a} + \frac{y}{b} = 1$ x-intencept a and y-intencept b NORMAL FORM x cosw + y sinw - p Normal distance from the origin. Distance of a point from a line $d = \frac{|Ax_1 + By_1 + C|}{\sqrt{A^2 + B^2}}$ Ax + By + C = 0 from a point (x_1, y_1) Distance between two parallel lines $d = \frac{|c_1 - c_2|}{\sqrt{A^2 + B^2}}$ two parallel lines $Ax + By + c_1 = 0$ and $Ax + By + c_2 = 0$